

(Deformed (Plane Bars) (Load-Deflection) (Finite Element) (Thick Plate Theory) Bars)

[5] Huang
 (Finite Element) (Thick Plate Theory)

1.4

Effect of High Temperature no the Reinforcing Bars During Heating and After Cooling

[6] Homles
 (20-700)°C

[7] (750-900)°C
 600°C
 (24% & 28%)

[8] 476 MPa 345MPa
 700°C 500°C 70% 89% 600°C

[9] Mäkeläinen (stress-strain)
 S420M (400-700)°C

Materials Constitutive Relationship-

-2

:

2.1

Ultimate Strength of Concrete under Biaxial Compression

[10] Liu

$$\frac{\sigma_p}{\sigma_{oT}} = 1 + \frac{\alpha}{1.2 - \alpha} \quad \text{for } \alpha < 0.2$$

$$\frac{\sigma_p}{\sigma_{oT}} = 1.2 \quad \text{for } 0.2 \leq \alpha \leq 1.0$$

$$\frac{\sigma_p}{\sigma_{oT}} = \frac{1.2}{\alpha} \quad \text{for } 1.0 \leq \alpha \leq 5.0$$

$$\frac{\sigma_p}{\sigma_{oT}} = \frac{1}{\alpha} \left(1 + \frac{1}{1.2\alpha - 1} \right) \quad \text{for } \alpha > 5.0$$

(1)

(σ_1/σ_2)

: σ_{oT}
: α
: σ_p

Strain at Ultimate Biaxial Compression Stress

[10] Liu

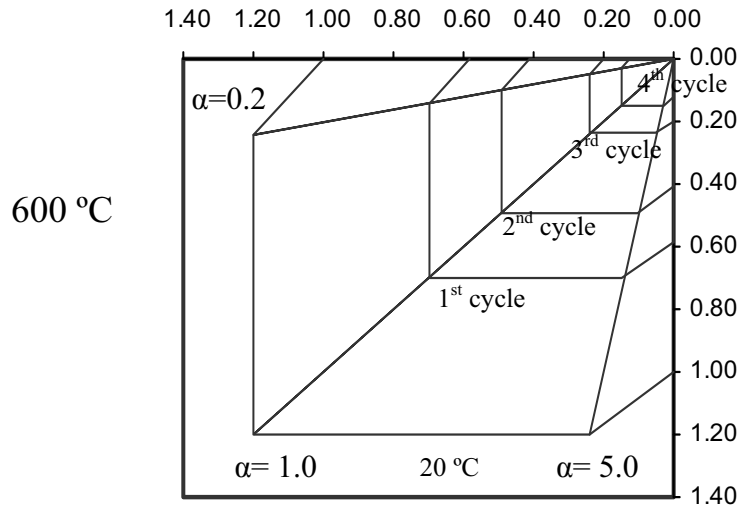
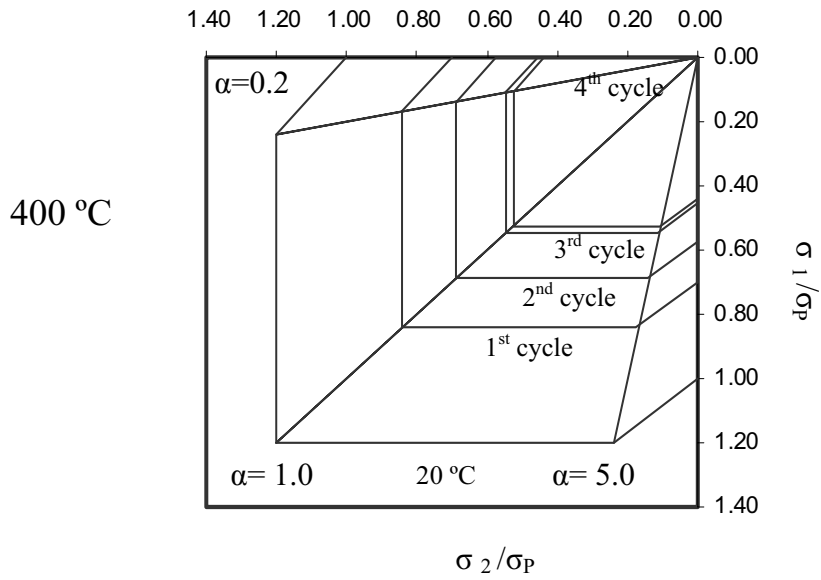
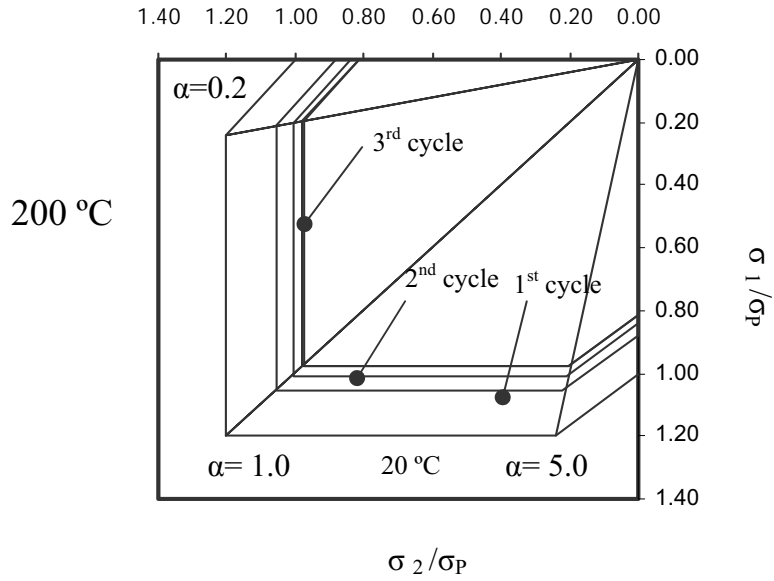
(Major Direction) $\epsilon_p = -2500 \times 10^{-6}$ (2)

(Minor Direction) $\epsilon_p = (500 + 79.8\sigma_p) \times 10^{-6}$ (3)

(Major Direction) $\epsilon_p = -0.0025 \times \xi$ (4)

(Minor Direction) $\epsilon_p = (500 + \xi_1 \cdot \sigma_p) \times 10^{-6}$ (5)

$\xi_1 = 0.0266(500 + \epsilon_p(\text{major}) \times 10^6)$



Ø (1) Ø

$E'_{1b} = E'_{2b} = E$ uniaxial modulus of elasticity
.....(10)

$\lambda' = E'_{1b} / (E'_{1b} / E'_{2b} - \nu^2)$ 2-4

Stress-Strain Relations for Cracked Concrete

$$\begin{bmatrix} \sigma_1 \\ \sigma_2 \\ \tau_{12} \\ \tau_{13} \\ \tau_{23} \end{bmatrix} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 \\ 0 & C_1 E & 0 & 0 & 0 \\ 0 & 0 & G'_{12} & 0 & 0 \\ 0 & 0 & 0 & G'_{13} & 0 \\ 0 & 0 & 0 & 0 & G'_{23} \end{bmatrix} \begin{Bmatrix} \epsilon_1 \\ \epsilon_2 \\ \gamma_{12} \\ \gamma_{13} \\ \gamma_{23} \end{Bmatrix} \quad \text{.....(11)}$$

\hat{O} (C) \hat{O} (C=1.0)

\hat{O} $\hat{O} : G'_{ij}$

\hat{O} [1,13,14] [1] (0.4)

$G'_{12} = 0.4G$ $G'_{13} = 0.4G$ $G'_{23} = G$ (1)

$G'_{12} = 0.4G$ $G'_{13} = G$ $G'_{23} = 0.4G$ (2)

$G'_{12} = 0.4G$ $G'_{13} = 0.4G$ $G'_{23} = 0.4G$

Tension Stiffening 2.5

\hat{O} \hat{O} \hat{O} [11] (Vecchio and Collins) \hat{O}
(α_1, α_2)

$\sigma = \frac{\alpha_2 \alpha_2 f'_t}{1 + \sqrt{500 \epsilon_i}}$ $\epsilon_i > \epsilon_{cr}$ (12)

(Deformed Bar) $\alpha_1 = 1.0$
 $\alpha_1 = 0.7$
 $\alpha_2 = 1.0$
 $\alpha_2 = 0.7$

Behavior of Steel Reinforced

-2.6

$\hat{\omega}$
 $\hat{\omega}$
 $\hat{\omega}$. (3) $\hat{\omega}$ [6] (Homles) $\hat{\omega}$ $\hat{\omega}$ $\hat{\omega}$
 .(4) $\hat{\omega}$

Method of Analysis

طريقة التحليل -3

$\tilde{\omega}$ $\tilde{\omega}$
 $\tilde{\omega}$ $\tilde{\omega}$ $\tilde{\omega}$ $\tilde{\omega}$
 $\tilde{\omega}$ $\tilde{\omega}$ $\tilde{\omega}$ $\tilde{\omega}$

$$-\frac{\partial^2 \bar{M}_x}{\partial \bar{x}^2} - 2 \frac{\partial^2 \bar{M}_{xy}}{\partial \bar{x} \partial \bar{y}} - \frac{\partial^2 \bar{M}_y}{\partial \bar{y}^2} + \bar{D}_f \frac{\partial \bar{\omega}}{\partial \bar{t}} + \bar{m} \frac{\partial^2 \bar{\omega}}{\partial \bar{t}^2} = \bar{q} \quad \dots\dots\dots(14)$$

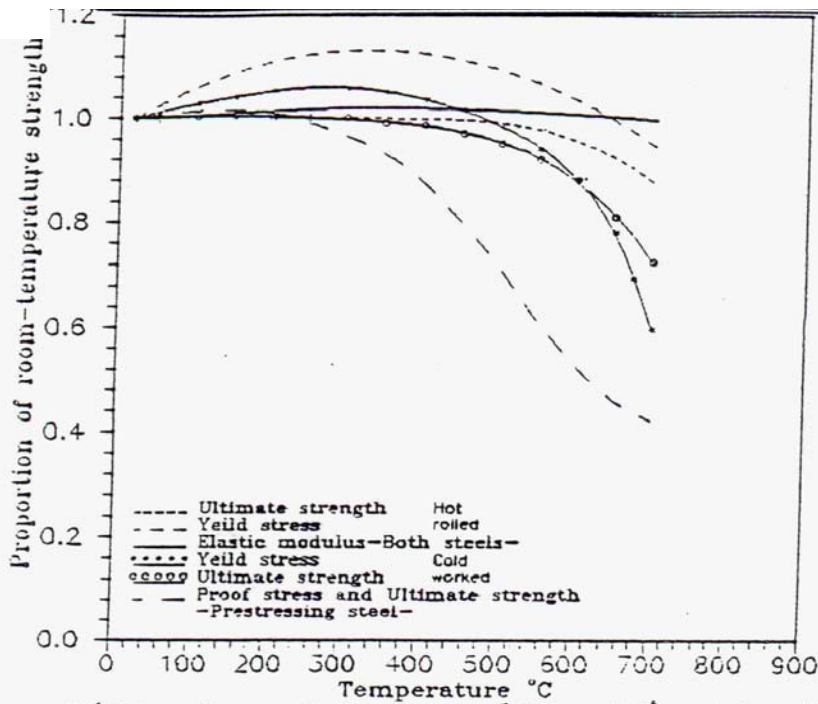
$$\bar{\omega}_{(i)j}^{\circ} = \frac{1}{1+0.5\bar{D}_v} \left[(1-0.5\bar{D}_v) \bar{\omega}_{(i)j-1}^{\circ} + \frac{\Delta \bar{t}}{\bar{m}} \left(\left(\frac{\partial^2 \bar{M}_x}{\partial \bar{x}^2} \right)_i + 2 \left(\frac{\partial^2 \bar{M}_{xy}}{\partial \bar{x} \partial \bar{y}} \right)_i + \left(\frac{\partial^2 \bar{M}_y}{\partial \bar{y}^2} \right)_i + \bar{q}_i \right) \right] \quad (15)$$

:

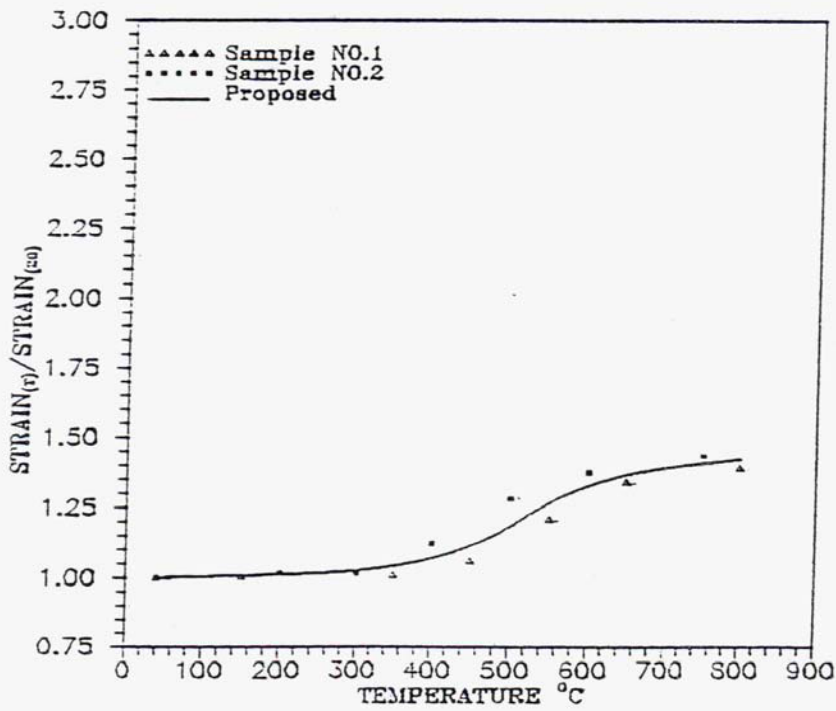
$$\sum_{k=1}^{k=j+0.5} \bar{\omega}_{(i)k} = \sum_{k=1}^{k=j-0.5} \bar{\omega}_{(i)k} + \bar{\omega}_{(i)j}^{\circ} \Delta \bar{t} \quad (16)$$

$$\bar{D}_v = \frac{\bar{D}_f \Delta \bar{t}}{\bar{m}}$$

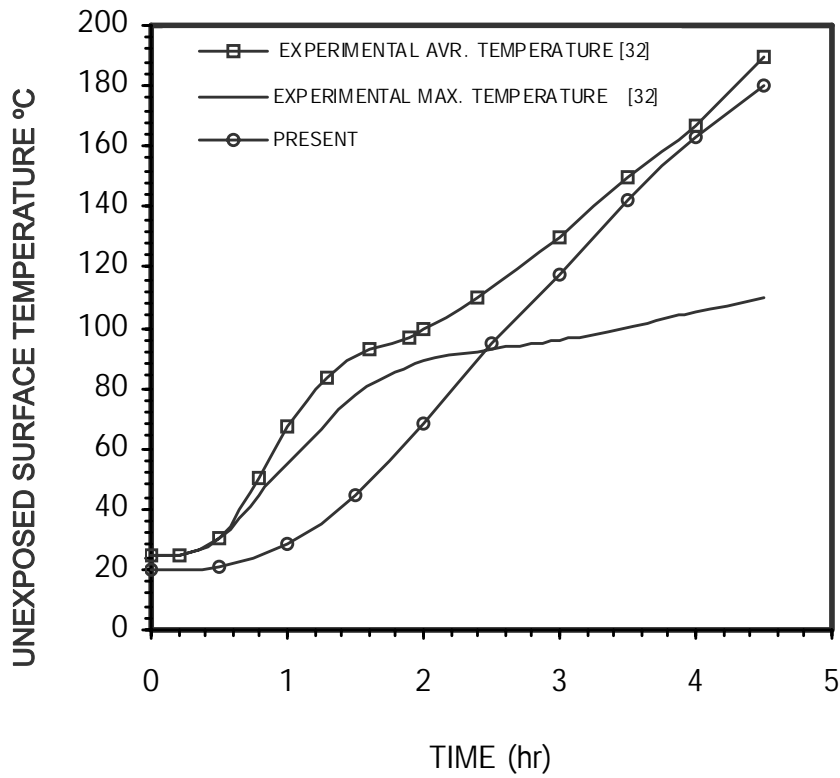
:
 $\tilde{\omega}$
 : i
 : j
 : ω°



شكل (13.5) تغيير خواص أنواع مختلفة من حديد التسليح بعد الدورة الأولى من التسخين



الشكل (14.5) تغيير إنفعال الخضوع في الحديد بعد الدورة الأولى من التسخين .



(5) Ø

(ISO 834)

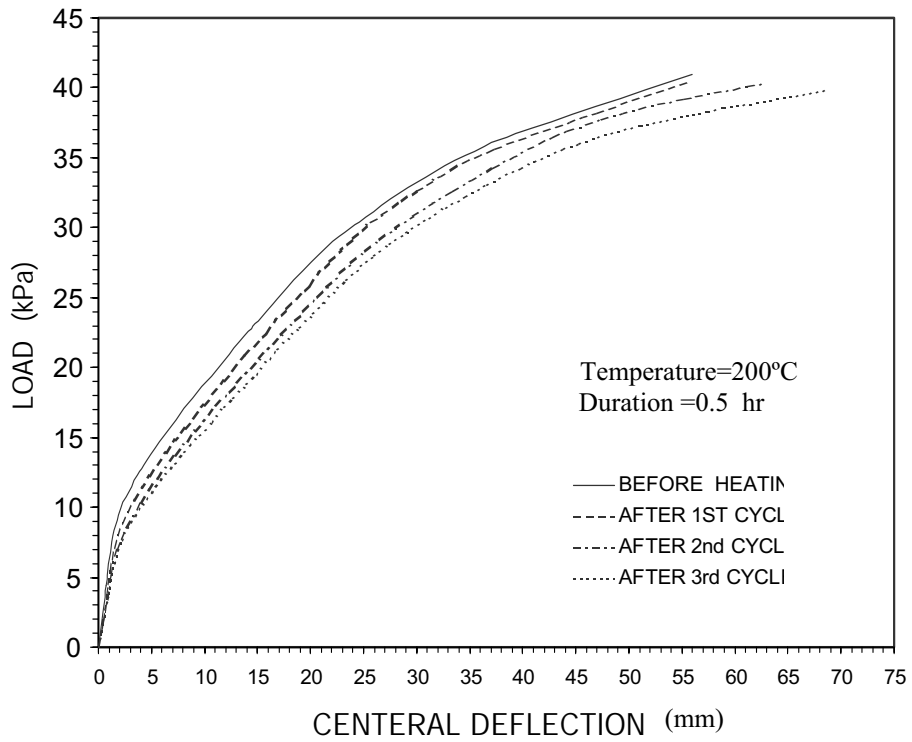
Structural Analysis

Ø 2-5

Ø (S1) Û
 Û Û (4,5,6) Û
 Û 200,400,600 C°
 Û Û Û Û Û (0.5 hr)
 Û Û Û
 Û
 Û [3]
 Û Û (S1)
 Û Û Û (7,8,9) Û Û
 200,400,600 C° Û
 Û Û (0.5 hr)

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- 11- Vecchio , F. J. and Collins , M.P. , " The modified compression – field theory of reinforced concrete element subjected to shear " , ACI . Jour. Proc. , Vol . 83 , No. 2 , March – April , 1986 .
- 12- Abrishami , H. R. and Denis , M. , " Influence of splitting cracks on tension stiffening " , ACI . Structural Journal .Vol . 93 , No. 6 , Nov . – Dec. 1996 .
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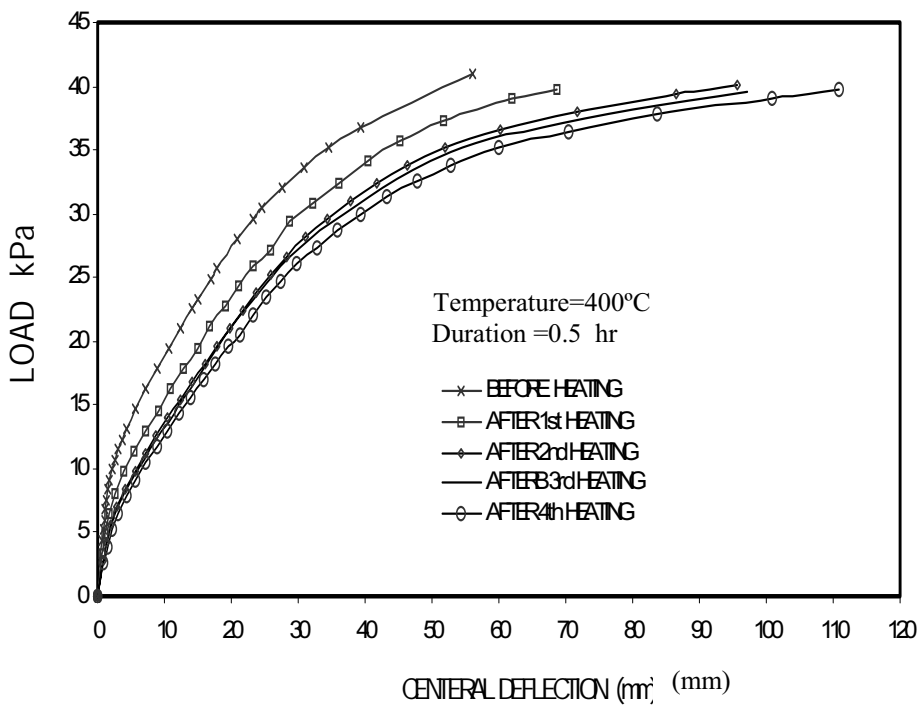


200°C

(S1)

- Ø

(4) Ø

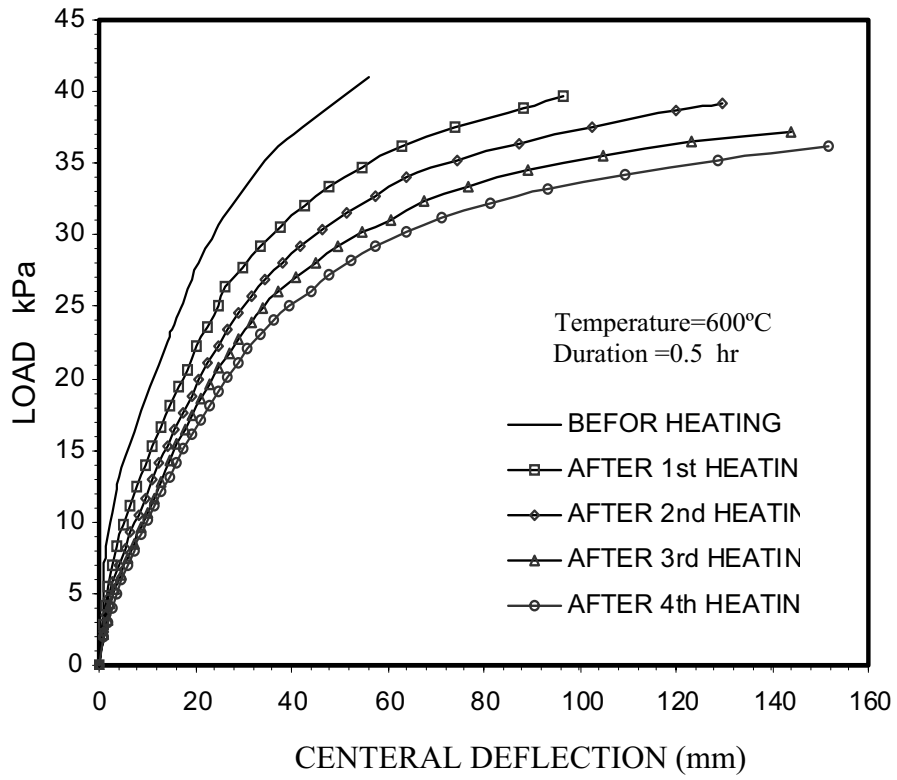


400°C

(S1)

Ø

(5) Ø

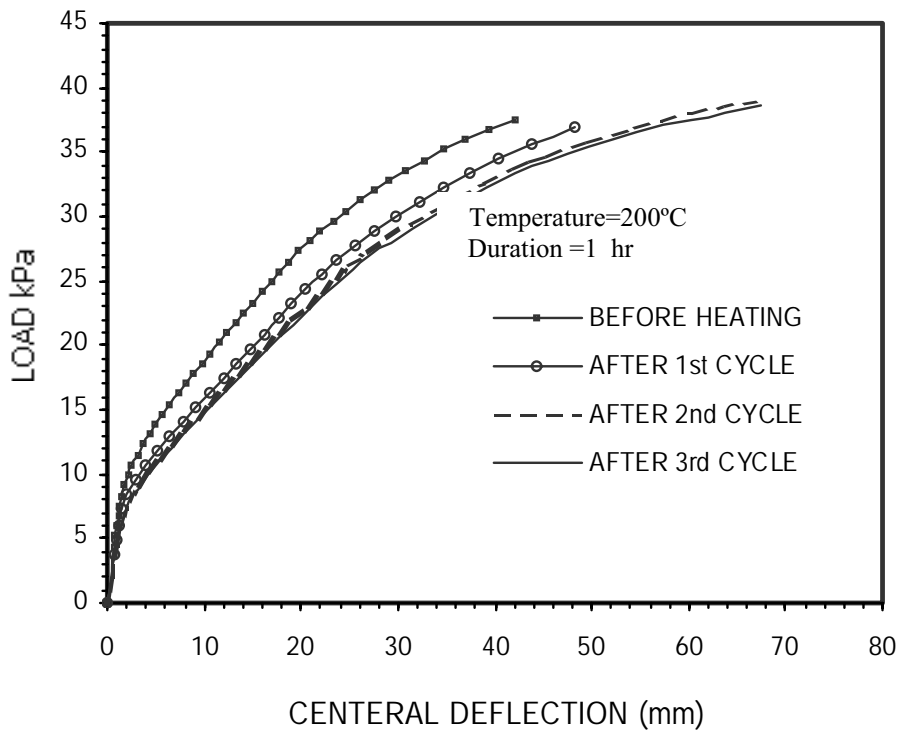


600°C

(S1)

∅

(6)∅

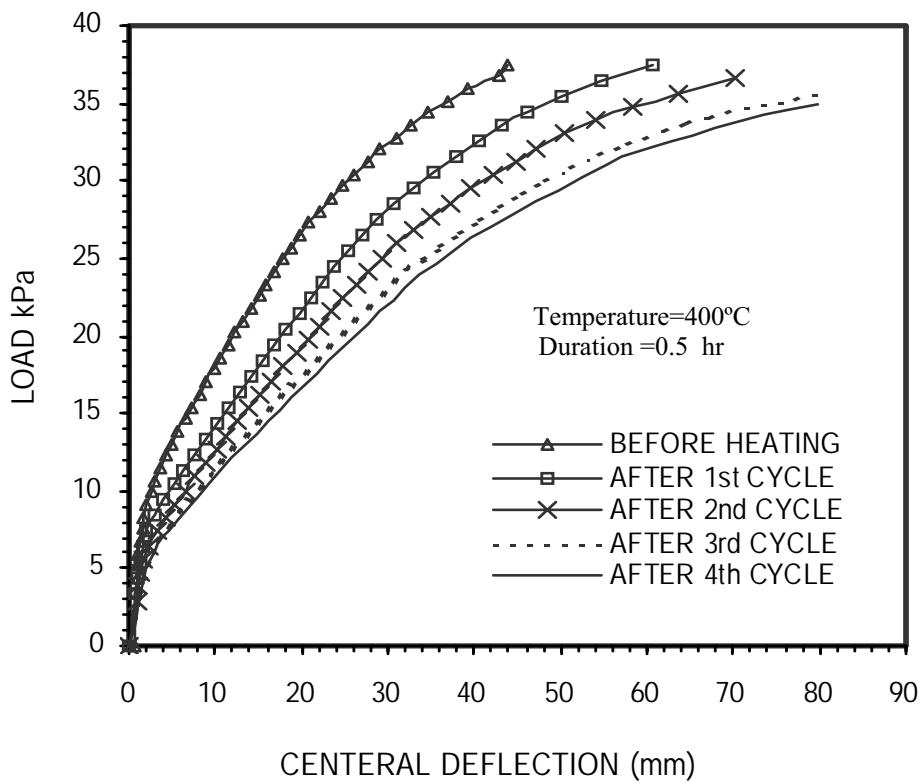


200°C

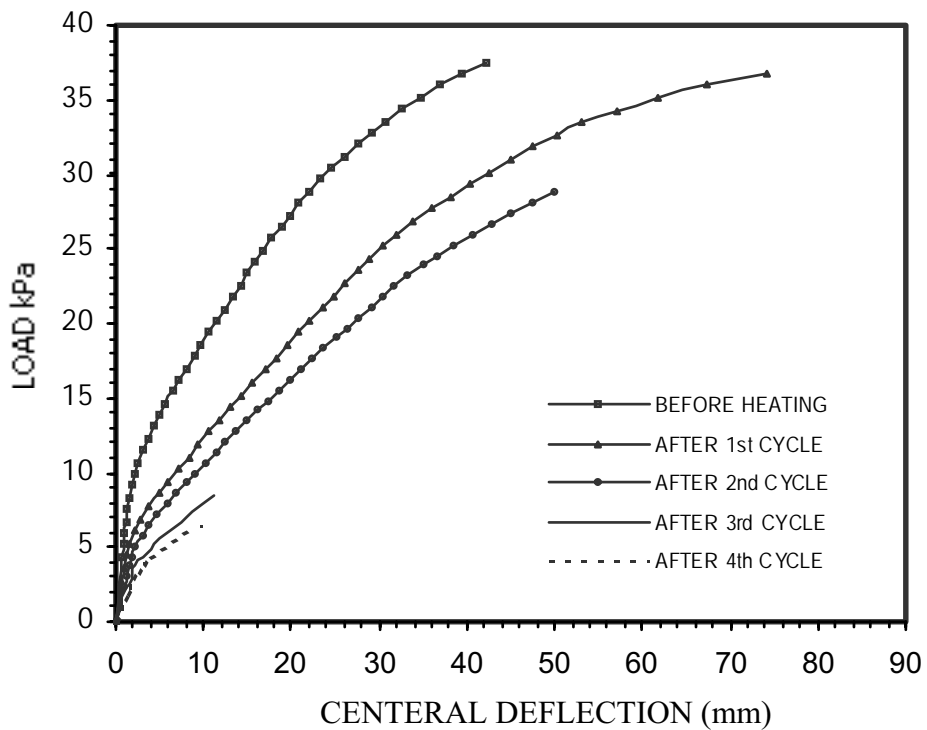
(S1)

∅

(7)∅



400°C (S1) Ø (8)Ø



600°C (S1) Û (9)Û